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Assessment of the relative contribution of growth and flowering characteristics of *Gladiolus hybrida* using factor analysis

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Abstract

Data for this study was taken from the department of "Floriculture and Landscape Architecture" for the accomplishment of objectives of this investigation which were to assess the relative contribution of growth and flowering characteristics using multivariate techniques i.e. Factor Analysis. The statistical parameters evaluated for different characters revealed the means for plant height, number of days taken for sprouting, percent sprouting, number of leaves per plant, cropping duration, number of cormels per plant, weight of cormels per plant, size of cormels, number of corms per square meter, weight of corms per square meter and size of corms as 33.79 (cm), 23.24, 76.49, 4.62, 197.19, 5.19, 1.06 (g), 0.82 (cm), 54.22, 1275.35 (g) and 3.12 (cm) respectively. Two factors were extracted by applying factor analysis which explained 79.203% of total variation of the original variables. Thus factor analysis has brought out two factors associated with morphological characteristics of *Gladiolus hybrida*.

Keywords: *Gladiolus hybrida*, growth and flowering characteristics, multivariate techniques, Factor Analysis, Variability, Statistical parameters

Introduction

Gladiolus, a member of the family Iridaceae and subfamily Ixoroideae, is one of the most popular ornamental bulbous plants grown commercially for its fascinating flowers in many parts of the world and is popularly called as "Queen of bulbous flowers". Cormel yield is a function of complex interacting morphological characters and these characters plays an important role in influencing the cormel yield. It shows a cause and effect relationship. Complex trait (yield), however are a composite of individual traits that often vary together in response to imposed treatments. Identifying a single variable representative of the complex trait may not be possible, so the researcher is faced with the possibility of separately examining many related variables. Factor analysis is closely related to principal component analysis. Both of the principal component analysis and the factor analysis are one of the most commonly used multivariate techniques that take into account the interdependence and relative importance of the various characters involved and give more meaningful information.

Methodology

Data on various growth and flowering characteristics of Gladiolus cultivar "Solan Mangla" with four treatments of foliar spray of N and three treatments of planting density each replicated three times over two years and two seasons per year were taken from the Department of Floriculture and Landscape Architecture, Dr. Y.S. Parmar University of Horticulture & Forestry, Nauni, Himachal Pradesh.

Factor Analysis

Factor analysis is closely related to principal component analysis. Factor analysis can be considered as an extension of principal component analysis, both can be viewed as an attempt to approximate the variance-covariance matrix. However approximation based on factor analysis is more elaborate. The difference between two is that factor analysis assume a definite model, where each observed variable is expressed linearly in terms of common factor and a unique factor, whereas principal component analysis each observed variable (x_{j} , j = 1, 2, ..., p) is expressed linearly in terms of few unobservable random variables F_1 , F_2 ,..., F_m called common factors and p additional sources of variation e_1 , e_2 ,..., e_p called error or sometimes

specific/unique factors. The common factors account for correlation among variables and each unique factor account for the remaining variance of the variable. In particular, common factor analytic model can be written as: -

$$\begin{split} X_{j} &= lj1F1 + l_{j2}F_{2} + \ldots + l_{jm}F_{m} + e_{j} \\ \text{For a set of } p \text{ variables above linear model can be written as} \\ X_{1} &= l11F1 + l_{12}F_{2} + \ldots + {}_{11mFm} + e_{1} \\ X_{2} &= l21F1 + l_{22}F_{2} + \ldots + {}_{12mFm} + e_{2} \\ \ldots \\ X_{p} &= lp1F1 + l_{p2}F_{2} + \ldots + {}_{lpm}F_{m} + e_{p} \end{split}$$

Such a set of equations is called 'Factor Pattern'. The factor analysis yield not only the pattern but also correlation between original variables and the factor and table of correlations is called 'Factor Structure'. Factor model in matrix notation can be put as;

$$\begin{split} X &= LF + e \\ X &= (p \times 1) \text{ vector of observed variables} \\ L &= (p \times m) \text{ matrix of unknown constants called factor loadings.} \end{split}$$

 $\begin{bmatrix} l_{11} \ l_{12} \ \dots \ l_{1m} \\ l_{21} \ l_{22} \ \dots \ l_{2m} \\ \dots \ \dots \ \dots \\ l_{p1} \ l_{p2} \ \dots \ l_{pm} \end{bmatrix}$

 $F=(m\times 1)$ vectors of unobservable variables called common factor; $F^{\prime}=(F_1,\,F_2\dots\,F_m)$

 $e = (p \times 1)$ vectors of unobservable variables called specific factor; $e^{\prime} = (e_1, e_2, ..., e_p)$

The unobservable random factor F and e satisfy

i) $E(F) = 0_{m \times 1}$ ii) $cov(F) = E(F F)' = I_{m \times m}$ iii) $E(e) = 0_{p \times 1}$ iv) $cov(e) = E(E E') = \varphi_{p \times p}$ Where $\varphi_{p\times p}$ is a diagonal matrix and $I_{m\times n}$ is a identity matrix. Since F and e are independent so Cov (e, F) = E(e, F) = $0_{p\times m}$ i.e there is no correlation between unique factors and common factor. Now the co-variance structure for the orthogonal factor model is an under;

Cov (X) = LL' +
$$\Phi$$

Var (X_j) = $l_{j1}^2 + l_{j2}^2 + ... + l_{jm}^2 + \phi_j = h_j^2 + \phi_j$ where $h_j^2 = l_{j1}^2 + l_{j2}^2 + ... + l_{jm}^2$
Cov (X_j, X_k) = $l_{j1}l_{k1} + l_{j2}l_{k2} + ... + l_{jm}l_{km}$; Cov (X, F) = L; Cov (X_i, F_i) = I_{ij}

Here I_{ji} the factor loading of the jth variable on the ith variable of the factor, which is equivalent to correlation between factor and variables, h_j^2 is called the communalities and is called uniqueness component or specific factor. The most important aspect of factor analysis is extraction of factor. Most widely used techniques are principal component method and maximum likelihood method. The next step in factor analysis is to determine the number of factors (m) to be retained for the further analysis. If m is too large, some of the error factor will be mixed with the common factor, and if m is too small important common factors will be deleted. The numbers of factors are decided so as to explain a good amount of variation.

Results and Discussion

Different statistical parameters for all the growth and flowering characteristics of *Gladiolus hybrida* were estimated and results are presented in table 1. It was observed from the table that the means for plant height, number of days for sprouting, percent sprouting, number of leaves per plant, cropping duration, number of cormels per plant, weight of corms/m², size of corms were 33.79 cm, 23.24, 76.49, 4.62, 197.19, 5.19, 1.06 g, 0.82 cm, 54.22, 1275.35 g and 3.12 cm respectively.

Table 1: Statistical parameters for growth and flowering characteristics of *Gladiolus hybrid*

Characters	Mean	SE of Mean	Fiducially limits		Coefficient of variation (CV)
			lower	upper	Coefficient of variation (CV)
Plant height(X_1) (cm)	33.79	0.37	33.07	34.51	7.53
No. of days for sprouting(X_2)	23.24	1.35	20.59	25.89	40.28
Percent sprouting(X ₃)	76.49	0.89	74.75	78.24	8.06
No. of leaves per plant(X ₄)	4.62	0.08	4.45	4.79	12.66
Cropping duration(X ₅)	197.19	1.58	194.09	200.28	5.55
No. of cormels per $plant(X_6)$	5.19	0.21	4.77	5.60	28.49
Weight of cormels per plant(X7) (g)	1.06	0.04	0.98	1.15	27.15
Size of cormels(X ₈) (cm)	0.82	0.01	0.79	0.84	10.82
No. of corms per square meter(X9)	54.22	1.94	50.42	58.02	24.77
Weight of corms per sq. meter(X_{10}) (g)	1275.35	30.90	1214.79	1335.91	16.78
Size of $corms(X_{11})$	3.12	0.07	2.98	3.27	16.13

It was also observed that number of days for sprouting showed maximum variation indicated by its coefficient of variation i.e. 40.28% followed by number of cormels per plant (28.49%) and weight of cormels per plant (27.15%) whereas cropping duration showed minimum variation indicated by its coefficient of variation (5.55%).

The main results of factor analysis pertaining to this population have been presented in Table 2. Kaiser-Meyer-

Olkin measure of sampling adequacy was found to be 0.765 indicating the appropriateness of factor analysis. Bartlett's test of sphericity was also applied to test the hypothesis that the variables are uncorrelated in the population and it was found that variables were significantly correlated. Two out of eleven factors were retained which explained 79.203% of total variation of the original variables.

Characters	F1	F2	Communality		
Plant height(X_1)	0.912	-0.343	0.949		
Days to sprouting(X ₂)	0.573	-0.629	0.724		
No. of leaves(X ₃)	0.886	-0.294	0.872		
No. of cormels/plant(X4)	0.872	0.391	0.912		
Wt. of cormels/plant(X5)	0.873	0.478	0.990		
Size of $cormels(X_6)$	0.853	0.292	0.814		
Wt. of corms/ $m^2(X_7)$	0.820	0.168	0.700		
Size of corms(X ₈)	0.970	0.011	0.941		
Crop duration(X9)	0.870	-0.470	0.978		
No. of corms/plant(X ₁₀)	0.738	0.359	0.674		
Percent sprouting(X ₁₁)	-0.263	0.300	0.159		
Eigen value	7.178	1.534			
Cumulative %	65.254	79.203			
Per cent variance	65.254	13.949			
Kaiser-Meyer-Olkin value		0.765			

Thus factor analysis has brought out two basic factors associated with morphological characteristics of *Gladiolus hybrida*. Ignoring the non-significant correlations, two orthogonal factors extracted can be expressed as

$$\begin{split} F_1 &= 0.912 \; X_1 + 0.886 \; X_3 + 0.872 \; X_4 + 0.873 \; X_5 + 0.853 \; X_6 + \\ 0.820 \; X_7 + 0.970 \; X_8 + 0.870 \; X_9 + 0.738 \; X_{10} \end{split}$$

 $F_2 = -0.629 X_2 + 0.300 X_{11}$

Ramachander *et al.* (1979) ^[6], Fanizza (1982) ^[3], El-Geddwani (1992) ^[2] and Jalikop (1984) ^[4] also used factor analysis in fruit crops.

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